

MUSHTARI, Kh. M.

Muštari, H. M. On the domain of applicability of the linear theory of elastic shells. Doklady Akad. Nauk SSSR (N.S.) 58, 997-998 (1947). (Russian)

The author linearizes the equations of the shell theory developed by J. L. Synge and W. Z. Chien [von Kármán Anniversary Volume, pp. 103-120, Berkeley, Calif., 1941; these Rev. 3, 30] and makes remarks concerning their validity. [Cf. the preceding review.] I. S. Sokolnikoff.

Source: Mathematical Reviews,

Vol 9 No. 6

SMW

MUŠTARI, H. M.

**Muštari, H. M., and Vinokurov, S. G. Determination of the stressed state for elastic equilibrium in the boundary zone of thin shells of certain types. Izvestiya Kazan. Filial. Akad. Nauk SSSR. Ser. Fiz.-Mat. Tehn. Nauk 1, 9-24 (1948). (Russian)**

The authors present the application of Muštari's theory for finding the stresses in the boundary zone of shells [Akad. Nauk SSSR. Prikl. Mat. Meh. 12, 129-136 (1948); these Rev. 9, 547]. This paper begins with a summary of the general theory, introduces certain simplifications and gives an estimate of errors due to these simplifications. The theory is applied to the following shells: (a) shells of revolution with a spherical shell as a special case; (b) an elliptic cone. The construction of a stream function for boundary zones of shells is also presented.

*T. Laser.*

SO: Mathematical Analysis, Vol. 34, No. 10, Nov. 53, pp. 935-1048  
UNCLASSIFIED

MUSHTARI, Kh. M.

Mushtari, H. M. Invariant equations of equilibrium of the boundary zone of an elastic shell in complex form. Akad. Nauk SSSR. Prikl. Mat. Meh. 12, 129-136 (1948). (Russian)

The author follows the customary procedure [see, for example, W. Z. Chien, Quart. Appl. Math. 1, 297-327 (1944); these Rev. 5, 195] to formulate a system of six invariant macroscopic equations of shell theory. An assumption of the Kirchhoff-Love hypothesis and a definition of the complex stress tensor in terms of the usual macroscopic stress tensor and the quantities depending on the geometry of the middle surface enable the author to write a set of approximate equilibrium equations on the complex stress tensor. The goodness of approximation in these equations depends on the thickness of the shell. It is shown that the complex stress tensor may be obtained from a stress function satisfying a certain fourth-order partial differential equation. The simplifications resulting from an assumption that the surface of the shell is developable are indicated in some detail. I. S. Sokolnikoff (Los Angeles, Calif.).

Source: Mathematical Reviews,

Vol 9

No. 9

MUSHTARI, Kh.M.

Determining the deformation of medium shell surfaces subjected to arbitrary bending. Trudy KKHTI no.13:132-137 '48.  
(MIRA 12:12)

1. Kazanskiy khimiko-tekhnologicheskoy institut im. S.M. Korova,  
kafedra teoreticheskoy mekhaniki.  
(Elastic plates and shells)

PA 42/49128

MUSHTARI, KH. M.

USSR/Engineering

Mechanics

Mathematics - Applied

Mar/Apr 49

"Qualitative Investigation of Strain in Elastic Shells for Small Deformations and Arbitrary Displacements." Kh. M. Mushtari, Physicotech Inst., Kazan Affiliate, Acad Sci USSR, 14 pp

"Prikladnaya Matematika 1 Mekh" Vol XIII, No 2

Classifies problems of linear and nonlinear theory of shells in which the number of types is reduced to a minimum. In addition to cases considered by Wei-Zang-Chien, in which differentiation with respect to Gaussian coordinates does

42/49128

USSR/Engineering (Contd)

Mar/Apr 49

not change the order of values characterizing deformation, classification also includes boundary effects not subjected to this condition. Establishes region of applicability of the linear theory in general and solutions of boundary effect types in particular. Includes certain problems of strain in average-width shells and several cases in the integration of equations of nonlinear theory. Submitted 18 Jan 48.

42/49128

155789

USSR/Physics - Shells, Elastic  
Nonlinear Mechanics  
Dec 49

"Nonlinear Theory of Equilibrium of the Boundary  
Zone of an Elastic Shell," Kh. M. Mushtari,  
Chemicotech Inst imeni S. M. Kirov, Kazan  
"Dok Ak Nauk SSSR" Vol LXIX, No 4

Derives equation for nonlinear equilibrium of bound-  
ary zone in elastic shell. Comparison of linear and  
nonlinear theory as applied to theoretical example  
of cylindrical shell of constant thickness, radius R  
and length 2L, resting on its terminal cross sections  
 $x=0$  and  $x=L$  and acted upon by uniform internal pressure

155789

USSR/Physics - Shells, Elastic (Contd)

Dec 49

shows substantial errors are obtained when linear  
theory is used to determine edge effect in thin elas-  
tic shell. Submitted by Acad A. I. Nekrasov  
30 Sep 49.

155789

Mustafai, H. M. The theory of elastic equilibrium of plates and shells taking account of the initial stresses. Izvestiya Kazan. Filial. Akad. Nauk SSSR. Ser. Fiz.-Mat. Tehn. Nauk 2, 30-52 (1950). (Russian)  
This paper is a continuation of the author's research on displacements [Akad. Nauk SSSR. Prikl. Mat. Mekh. 13, 121-134 (1949); these Rev. 11, 69]. The author begins with a brief summary of a previous (unavailable) paper [Trudy Kazan. Himiko-Tehnolog. Inst. 13 (1948)], where a prestressed shell is subject to two successive deformations. The author derives the equations of compatibility and those of equilibrium for shells as above. He modifies his general theory for special types of shells subject to certain kinds of deformations. He divides the shells into two types: (1) shells of small curvature, and (2) shells whose dimensionless curvature is of the order of one. The deformations are classified as follows: (a) the momentless deformation, where the bending deformation is small as compared with the deformation of the middle surface, (b) a mixed deformation, where deformations due to bending and of the middle surface are of the same order, (c) a bending deformation. The author discusses separately the most important cases which are combinations of the type of a shell and various kinds of initial, primary, and secondary deformations, before and after the loss of stability. He also presents simplified equations of neutral equilibrium, the determination of critical loads, and discusses in particular shells of revolution. T. Loner.

Mustafai, H. M.

0007

Muštari, H. M., and Surkin, R. G. On the nonlinear theory of the stability of elastic equilibrium of a thin spherical shell under the action of a uniformly distributed normal external pressure. Akad. Nauk SSSR, Prikl. Mat. Meh. 14, 573-586 (1950). (Russian)

The differences between the linear theory of Zoelly and others and experimental results have earlier been thoroughly investigated by several authors but so far no theory has given sufficiently accurate results. The authors revive this question and by keeping higher order terms and using a Ritz method succeed in giving a formula for the critical pressure which agrees better with experiments. The deformation during buckling is supposed to be a local depression which is known to happen in experiments. F. Niordson.

SWW RST

Source: Mathematical Reviews,

Vol 13 No. 10



MUSHTARI, KH. M.

USSR/Physics - Elastic Equilibrium

"Elastic Equilibrium of Thin Shells with Initial

Nov/Dec 51

Incorrectness in the Form of the Middle Surface,"  
Kh. M. Mushtari, Kazan', Phys Tech Inst, Kazan  
Affiliate, Acad Sci USSR

"Prilozheniye 1 k knizhke" Vol XV, No 6, pp 743-750

Derives the fundamental dependences of the theory of  
equilibrium in thin shells whose median surface possesses  
initial bucklings (sags) of the order of the thickness  
of the shell. Considers the stressed state in  
a flattened (oblate) shell of rotation with positive  
Gaussian curvature under the action of external

USSR/Physics - Elastic Equilibrium  
198799

(Contd)

Nov/Dec 51

pressure, in the case where the shell possesses  
initial imperfection of form. Derives a formula  
for determining the upper limit of critical pressure. Sub-  
mitted 8 Mar 51.

198799

MUSHTARI, Kh. M.

Index  
Aeronautics  
March 1954  
Strength of  
Materials

✓ Determination of Deflections of  
a Cylindrical Panel Supported  
by Elastic Non-ductile Ribs and  
Working under Normal External  
Pressure

Kh.M. Mushtari, I.V. Svirsky

Prikl.Mat.Mekh.  
17(6),755-760

1953

U.S.S.R.

In order to solve the problem the equation of compatability of deformations is integrated with the aid of Fourier's method and the equation of equilibrium by the Bubnov-Galerkin method. The value of the upper critical pressure thus obtained tallies well with that obtained by M.A. Koltunov through integrating both equations with the aid of Bubnov-Galerkin method. The value of the lower critical pressure calculated in accordance with Koltunov's formulae, differed considerably due to incorrect fulfilment of the conditions of compatability of deformations. It is also pointed out that the upper critical pressure obtained by the authors lies above its real value, while the lower critical pressure - below, due to an increased number of terms in the series. (Bibl.1)

Phys-Tech. Inst. Kazan office. AS USSR

MUSHTARI, Kh.M.

U.S.S.R.

Mustari, H. M., and Sačenko, A. V. On stability of cylindrical and conical shells of circular section under the simultaneous action of axial compression and external normal pressure. Prikl. Mat. Meh. 18, 667-674 (1954). (Russian)

The authors apply Galerkin's method to the solution of the equilibrium equations for conical shells and deduce certain approximate formulae for the critical external pressure in the presence of axial compression.

J. R. M. Radok (Providence, R. I.).

MS

$\sigma = P/W$

62  
①

124-57-1-865

Translation from: Referativnyy zhurnal, Mekhanika, 1957, Nr 1, p 115 (USSR)

AUTHOR: Mushtari, Kh. M.

TITLE: Approximate Determination of the Reduction Coefficient of the Reinforcement of a Fixed Plane and Cylindrical Plate Under Axial Compression (Priblizhennoye opredeleniye reduktsionnogo koeffitsiyenta obshivki podkreplennoy ploskoy i tsilindricheskoy plastinki pri osevom szhatii)

PERIODICAL: Izv. Kazansk. fil. AN SSSR, ser. fiz.-matem. i tekhn. n., 1955, Nr 7, pp 23-35.

ABSTRACT: Examination of the supercritical deformation of a plate fixed to an orthogonal network of stiffening ribs and compressed in a single direction. The stresses in the central portion of the surface are determined for various degrees of loadings, and the reduction coefficients are determined; all of these reasonings are based on the energy method. One of the alternate solutions relates to the case when the points of the edge of the panel are not displaced relative to the corresponding points of the ribs; in a second alternate the points on the edge of the panel are assumed to slide freely along

Card 1/2

124-57-1-865

Approximate determination of the Reduction Coefficient (cont.)

the ribs. The reduction coefficients found for either alternate are found to be quite similar. Also investigated are large deflections of a circular cylindrical panel, subjected to compression along a generatrix, following a loss of stability. The magnitudes of the lower critical stresses are found for panels having different values of the initial curvature. Theoretical and experimental data pertaining to the reduction coefficients are compared.

1. Plates--Stresses--Mathematical analysis    2. Plates    A. S. Vol'mir  
--Deformation--Theory    3. Approximate computations--Applications    4. Cylindrical  
panels--Deflections--Mathematical analysis

Card 2/2

124-57-1-864

Translation from: Referativnyy zhurnal, Mekhanika, 1957, Nr 1, p 115 (USSR)

AUTHORS: Kornishin, M. S., Mushtari, Kh. M.

TITLE: Stability of an Infinitely Long Slanting Cylindrical Panel Under the Action of a Normal Uniform Pressure (Ustoychivost' beskonechno dlinnoy pologoy tsilindricheskoy paneli pod deystviyem normal'nogo ravnomernogo davleniya)

PERIODICAL: Izv. Kazansk. fil. AN SSSR, ser. fiz.-matem. i tekhn. n. 1955, Nr 7, pp 36-50

ABSTRACT: The paper offers a theory of large deflections of an infinitely long, slanting, circular cylindrical panel subjected to the action of a uniform normal pressure from the convex side. The edges of the panel are considered attached; the cases of hinged and fixed attachments of the edges are examined. Equations are written linking the deflection of the panel and the stresses at the center of the surface with the intensity of the load; these relationships appear to be exact within the limits of the assumptions made in the theory of slanting shells. An exact analysis is carried out for the character of the deformation of the panel having differing degrees of curvature. The conditions for the

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124-57-1-864

Stability of an Infinitely Long Slanting Cylindrical Panel (cont.)

formation of a loop-shaped "deflection-versus-load" curve are found, and the upper and lower values of the loading intensity are indicated. The effect of initial deviations from the circular shape upon the comportment of the panel are evaluated. It is shown that an initial antisymmetrical deflection can strongly influence both the upper and the lower critical loading. Some relationships for the exact solution of the given problem were earlier obtained by I. G. Bubnov [Tr. po teorii plastin (Studies on the Theory of Plates), 1953, pp 282-284].

A. S. Vol'mir

1 Cylindrical panels--Stability--Mathematical analysis  
--Theory

2 Cylindrical panels

Card 2/2

*Mushtari, Kh. M.*

USSR/Physics - Shells

FD-1663

Card 1/1 Pub. 85-15/16

Author : Mushtari, Kh. M. (Kazan')

Title : Theory of stability of a spherical shell under the action of an external pressure (in connection with the article of V. I. Feodos'yev of the same title, *ibid.*, Vol. 18, No 1, 1954)

Periodical : *Prikl. mat. i mekh.*, Vol. 19, 251-254, Mar-Apr 1955

Abstract : The author gives a new solution to the problem of the lower critical pressure for a spherical shell, using V. I. Feodos'yev's approximation of the form of buckling by way of the ordinary procedure of integration by the Bubnov-Galerkin method; however, here he applies the principle of possible displacements. It turns out that the solving equation obtained in this way coincides with the equation by the Bubnov-Galerkin method if the left side of the equation integrated is multiplied by the variation of the approximating function. Three references; e.g. Kh. M. Mushtari and R. G. Surkin, "Nonlinear theory of stability of elastic equilibrium of thin spherical shell under the action of uniformly distributed normal external pressure," *PMM*, Vol 14, No 6, 1950.

Institution : Physicotechnical Institute, Kazan Affiliate of Academy of Sciences USSR

Submitted : Mar. 25, 1954



SOV/124-57-4-4603

Translation from: Referativnyy zhurnal. Mekhanika, 1957, Nr 4, p 105 (USSR)

AUTHOR: Mushtari, Kh. M.

TITLE: Some Mathematical Problems of the Nonlinear Theory of the Stability of Shallow Shells (Nekotoryye matematicheskiye problemy nelineynoy teorii ustoychivosti pologikh obolochek)

PERIODICAL: Tr. 3-go Vses. matem. s"yezda. Vol I. Moscow, AN SSSR, 1956, pp 207-208

ABSTRACT: Bibliographic entry

Card 1/1

SOV/124-58-5-5700

Translation from: Referativnyy zhurnal, Mekhanika, 1958, Nr 5, p 110 (USSR)

AUTHORS: Mushtari, Kh. M., Kornishin, M. S.

TITLE: On the Convergence of the Galerkin Method When Determining the Upper and the Lower Critical Load Limits in a Particular Nonlinear Problem (O skhodimosti metoda Galerkina pri opredelenii verkhney i nizhney kriticheskikh nagruzok v odnoy nelineynoy zadache)

PERIODICAL: Izv. Kazansk. fil. AN SSSR. Ser. fiz. -matem. i tekhn. n. , 1956, Nr 10, pp 27-30

ABSTRACT: A shallow cylindrical shell of infinite length subjected to an external uniform pressure is examined. By applying the Bubnov-Galerkin method the authors calculate the upper ( $P_u$ ) and the lower ( $P_e$ ) critical loads for the given problem. On the basis of the calculations performed it is demonstrated that in case of a pin-joint-supported shell, for a wide range of shell-parameter variations, the  $P_u$  and  $P_e$  values can be determined with sufficient accuracy for all practical purposes by the second approximation. In the case of a clamped shell the  $P_u$  value is determined with sufficient accuracy by the second approximation,

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On the Convergence of the Galerkin Method (cont.)

while the  $P_e$  value requires four approximations. In the two cases mentioned above the Bubnov-Galerkin method approximates the  $P_e$  value on the lower side of the true value.

I. I. Vorovich

1. Cylindrical shells--Mechanical properties
2. Cylindrical shells--Mathematical analysis

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PHASE I BOOK EXPLOITATION

367

Mushtari, Kh. M., and Galimov, K. Z.

Nelineynaya teoriya uprugikh obolochek (The Nonlinear Theory of Elastic Shells)  
Kazan, Tatkhigoizdat, 1957. 430 p. 1,000 copies printed.

Sponsoring Agency: Akademiya nauk SSR. Kazanskiy filial.

Resp. Eds.: Mushtari, Kh. M., Doctor of Physical and Mathematical Sciences,  
and Surkin, R. G., Candidate of Technical Sciences; Ed.:  
Vozdvizhenskaya, M. Kh.; Tech. Eds.: Medel'ko, G. N. and Salikhova, A. S..

PURPOSE: The book is intended for scientific workers, graduate students and  
engineers working on the design of thin-walled structures. It may  
be used as a textbook for students of advanced university courses  
specializing in the theory of elasticity.

COVERAGE: The book deals with the general theory of elastic shells with large  
displacements and small deformations and with its application in  
the investigation of the stability and large deflections of the

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elements of thin-walled structures. There are 198 book references, 128 of which are Soviet, 50 English, 20 German. The introduction mentions some Soviet personalities in connection with their publications in the theory of elasticity. They include: Vlasov, V. Z.; Goldenveyzer, A. L.; Lur'e, A. I.; Lyav, A.; Novozhilov, V. V.; Il'yushin, A. A.; Bubnov, I. G.; and Papkovich, P. F. The authors of this monograph thank their coworkers of the Mechanics Section of the Kazan' Branch of the Academy of Sciences, USSR for their help in the accumulation of material and in the preparation of the manuscript. They include: Kornishyn, M. S.; Sachenkov, A. V.; Surkin, R. G.; Isahbayeva, F. S., Krivosheyev, N. I.; Ganiyev, N. S. It is mentioned that paragraphs 1, 14, 23, 25-26, 35-62 were written by Ch. M. Mushtari, paragraphs 2-13, 24, 63-65 by K. Z. Galimov and 27-34 by I. V. Svirskiy.

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AVAILABLE: Library of Congress (QA935-M96)  
LK/gmp  
June 26, 1958

Card 10/10

(MUSHTARI, K.H. 11)

**AUTHOR:** MUSHTARI Kh.M. 20-1-9/44  
**TITLE:** On the Inverse Boundary Value Problems of the Nonlinear Theory of Flat Shells (Ob obratnykh krayevykh zadachakh nelineynoy teorii pologikh obolochek)  
**PERIODICAL:** Doklady Akad. Nauk SSSR, 1957, Vol. 116, Nr. 1, pp. 35-37 (USSR)  
**ABSTRACT:** Let the median surface  $S^0$  of a flat thin shell of constant density  $t$  be obtained before it is loaded by a normal shift  $w^0$ . The author formulates two problems:  
1. For a given  $S$  determine an  $S^0$  such that for a given pressure  $p$ , given peripheral forces and given boundary conditions the shell assumes a given form.  
2. Determine the pressure and strain for given  $S$ ,  $w^0$ ,  $w$  which satisfy the corresponding boundary conditions.  
As an example a problem of the type 1 is considered in detail, where under several simplifying assumptions the solution is sought in form of a series. The concrete results of the very extended calculations are only sketched.  
**ASSOCIATION:** Kazan Branch of the Acad. Sc. USSR (Kazanskiy filial AN SSSR)  
**PRESENTED BY:** L. I. Sedov, Academician, April 3, 1957  
**SUBMITTED:** February 18, 1957  
**AVAILABLE:** Library of Congress

SOV/179-59-2-15/40

AUTHOR: Mushtari, Kh. M. (Kazan')

TITLE: Bending Theory of Medium Thickness Plates (Teoriya izgiba  
plit sredney tolshchiny)

PERIODICAL: Izvestiya Akademii nauk SSSR OTN, Mekhanika i mashino-  
stroyeniye, 1959, Nr 2, pp 107-113 (USSR)

ABSTRACT: The classical theory of thin plates may lead to errors of  
the order of  $h^2/a^2$  compared with unity, where  $2h$  is the  
thickness and  $a$  is the width of the plate. In the present  
paper, terms of this order are retained, and quantities of  
order  $h^4/a^4$  and higher are neglected. Equations are  
derived for maximum deflection, bending and twisting moments,  
and shear forces. Numerical consideration of a supported  
plate subjected to a sinusoidal load and having  $a = 6h$   
shows that compared with the accurate solution of Vlasov  
(Ref 4) the deflection given by the present solution is 2%

Card 1/2

SOV/179-59-2-15/40

Bending Theory of Medium Thickness Plates

in error, whereas the classical solution is 57% in error.  
There is 1 table and there are 7 references, of which 5  
are Soviet and 2 English.

SUBMITTED: January 6, 1959.

Card 2/2



3/179/86/0007-5  
K011/3111

AUTHORS: Mushtari, Kh.M., and Tereghlyan, I.G. (Kazakh)

TITLE: Theory of Sloping Orthotropic Shells of Reissner Type

PERIODICAL: Izvestiya Akademii Nauk SSSR, Otdeleniya Tekhnicheskikh Nauk, Mekhanika i Mashinostroyeniye, 1986, No. 1, pp 60-67 (USSR)

ABSTRACT: The paper is a continuation of previous work [Ref. 1]. The mathematical equations of the problem are established in section 1 (especially Eq. (1.1), (1.2) and (1.20) - (1.23) and certain terms involving the normal stress in the  $z$  direction are shown to be numerically negligible. The boundary conditions are stated in section 3 (especially Eqs. (3.1), (3.2) and (3.5)) and the simplified equations specialized to the case of a clamped isotropic shell, for which expressions are derived giving the maximum stress according to the momentless theory (Eq. (4.1), (4.2)) and according to the Kirchhoff hypothesis (Eq. (4.3)). A numerical comparison between these equations is tabulated on page 67; in one instance (at the bottom of page 67) the difference amounts to 20%. In this table,

Card  
1/2

1/10/1974

2/1/74

Theory of Sloping Orthotropic Shell

is Poisson's ratio,  $\nu = 1/E_1 - \nu E_2$ , and  $R$  is the  
the principal radii of curvature,  $W$  is the  
thickness

There are 1 table and 3 figures attached.

ASSOCIATION: Kazansky Institute of Technology  
(Kazansky Institute of Technology)

SUBMITTED: June 21, 1974

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KURNISHIN, M.S. (Kazan'); MUSHTARI, Kh.M. (Kazan')

Algorithm of a solution of nonlinear problems in the theory of  
sloping shells. Prikl. mat. i mekh. 23 no.1:159-163 Ja-F '59.  
(MIRA 12:2)

(Elastic plates and shells)  
(Differential equations, Partial)

24.4100

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AUTHORS: Mushtari, Kh. M., Teregulov, I. G.

SOV/20-128-6-13/63

TITLE: On the Theory of Shells of Moderate Thickness

PERIODICAL: Doklady Akademii nauk SSSR, 1959, Vol 128, Nr 6, pp 1144-1147  
(USSR)

ABSTRACT: The authors based their investigations on the principle of virtual displacements to derive the equations for the equilibrium of shells. These equations make it then possible to introduce simplifications of a predetermined accuracy. Moreover, the problem of boundary conditions in the theory of thick plates and shells is solved here. The first equation written down refers to the virtual displacements of a shell (which is assumed to be a three-dimensional body), and the equilibrium equations referred to the nondeformed state are derived next. The static boundary conditions are then specified. Hooke's Law is written down in a generalized form. The authors then investigate the linear problem more thoroughly; the error permissible is of the order of deformation together with an error of the order of magnitude  $h^2/R^2$ . Here, R denotes the smaller radius of curvature of the surface, h being a constant. The computation course

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On the Theory of Shells of Moderate Thickness

SOV/20-128-6-13/63

is followed up step by step. The equations derived here were applied to the solution of problems concerning the flexure of a circular plate with a radius  $a$ , and a rigid central disk with radius  $b$  under the action of a unilateral uniform pressure  $q$  in the region  $b \leq r \leq a$  and the force  $Q$  applied to the disk. Some results are summarized in a table. The investigation under review was completed by Teregulov under the supervision of Kh. M. Mushtari. There are 1 table and 6 references, 5 of which are Soviet.

ASSOCIATION: Kazanskiy khimiko-tekhnologicheskiy institut im. S. M. Kirova  
(Kazan' Institute of Chemical Technology imeni S. M. Kirov)

PRESENTED: June 19, 1959, by Yu. N. Rabotnov, Academician

SUBMITTED: June 10, 1959

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M 45 H A R I, K h. M.

Report presented at the 1st All-Union Congress of Theoretical and Applied Mechanics, Moscow, 27 Jan - 3 Feb '60.

201. A. A. Gerasimov (Moscow): An experimental study of the load-carrying capacity of thin-walled nickel tubes subjected to various combinations of tension, torsion, and internal pressure.
202. A. G. Zhukovskii (Leningrad): Variational methods in the theory of elasticity.
203. A. A. Mikhlin (Moscow): The stability of solutions of the boundary value problem for solids and its derivation.
204. A. A. Mikhlin (Moscow): Asymptotic expansion of the stress field in the vicinity of a crack tip.
205. A. A. Mikhlin (Moscow): On the asymptotic expansion of the stress field in the vicinity of a crack tip.
206. A. A. Mikhlin (Moscow): On the asymptotic expansion of the stress field in the vicinity of a crack tip.
207. A. A. Mikhlin (Moscow): On the asymptotic expansion of the stress field in the vicinity of a crack tip.
208. A. A. Mikhlin (Moscow): On the asymptotic expansion of the stress field in the vicinity of a crack tip.
209. A. A. Mikhlin (Moscow): On the asymptotic expansion of the stress field in the vicinity of a crack tip.
210. A. A. Mikhlin (Moscow): On the asymptotic expansion of the stress field in the vicinity of a crack tip.
211. A. A. Mikhlin (Moscow): On the asymptotic expansion of the stress field in the vicinity of a crack tip.
212. A. A. Mikhlin (Moscow): On the asymptotic expansion of the stress field in the vicinity of a crack tip.
213. A. A. Mikhlin (Moscow): On the asymptotic expansion of the stress field in the vicinity of a crack tip.
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231. A. A. Mikhlin (Moscow): On the asymptotic expansion of the stress field in the vicinity of a crack tip.
232. A. A. Mikhlin (Moscow): On the asymptotic expansion of the stress field in the vicinity of a crack tip.
233. A. A. Mikhlin (Moscow): On the asymptotic expansion of the stress field in the vicinity of a crack tip.



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S/124/61/200/1.8/135/1.2

AGC1/A101

AUTHORS: Mushtari, Kh. M., Surkin, R. G.

TITLE: The average bending of a sloping spherical panel, square in plane, at nonlinear stress-strain relation

PERIODICAL: Referativnyy zhurnal. Mekhanika, no. 8, 1961, 7, abstract 8v49 ("Zh. prikl. mekhan. i tekhn. fiz.", 1960, no. 2, 162-165)

TEXT: The problem whose content is described in the title is solved. The stress-strain relation is assumed in the form:

$$\sigma_1 = E_0 e_1 (1 - \gamma e_1^2),$$

where  $\gamma$  is a certain constant. The equations derived become a somewhat more complicated in comparison with conventional equations for large deflections of panels. The subsequent solution is carried out according to Bubnov-Galerkin's method. Cumbersome arithmetical operations are transferred to a "Strela" computer. The degree of effect of physical non-linearity on the magnitude of arising stresses is numerically estimated.

[Abstracter's note: Complete translation]

F. Feodos'yev

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88532

S/179/60/000/006/031/036  
E081/E135

11.2312

AUTHOR: Mushtari, Kh.M., (Kazan')

TITLE: The Applicability of Different Theories of Three-Ply Plates and Shells

PERIODICAL: Izvestiya Akademii nauk SSSR, Otdeleniye tekhnicheskikh nauk, Mekhanika i mashinostroyeniye, 1960, No. 6, pp. 163-165

TEXT: Various authors have suggested and developed the following theories of layered plates and shells: 1) the theory based on the assumption that the Kirchhof hypothesis is applicable to single layered plates (Ref.1); 2) the theory of plates and shells containing a filling, based on the assumptions (a) the thickness of the loaded layers, formed from materials with high mechanical characteristics, is small in comparison with the thickness of the middle layer containing the filling of weak material, (b) an element of the filler normal to the middle surface of the shell before deformation remains rectilinear after deformation, (c) the design of the bearing layers can be carried out on the basis of the Kirchhof hypothesis (Refs 2, 3);  
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S/179/60/000/006/031/036  
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The Applicability of Different Theories of Three-Ply Plates and Shells

3) the theory based on the assumptions (a) that the influence of the normal stress  $\sigma_z$  on the magnitude of the principal stresses can be neglected, (b) the change in magnitude of deflection with thickness of shell can be neglected, (c) the shear displacements are determined from those expressions for transverse shears  $e_{xz}$ ,  $e_{yz}$ , which are obtained if the stresses  $\tau_{xz}$ ,  $\tau_{yz}$  in each layer are assumed equal to the corresponding magnitudes found as a first approximation by applying the Kirchhof hypothesis to each section of the layers. The region of applicability of the theories is discussed using the notations:  $\epsilon$  = permissible error relative to unity;  $E$ ,  $G_{13}$ ,  $2h$ , = elasticity modulus, modulus of transverse shear and thickness of the filler layer;  $\sigma_x, \dots, \tau_{yz}$  are components of stress in the filler; corresponding quantities in the bearing layers are denoted by primes;  $a$  is a characteristic dimension of the shell. The coefficient of variability of the deformed state ( $\lambda$ ) and the quantity  $\eta$  characterising the degree of thinness of the shell and the degree of variability of its

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The Applicability of Different Theories of Three-Ply Plates and Shells

deformation on the middle surface  $z = 0$  are given by:

$$\partial f / \partial x \sim \lambda f / a, \quad \eta = \lambda^2 h^2 / a^2 \quad (1)$$

where  $f$  is a quantity characterising the deformation, displacement or stress; the symbol  $\sim$  signifies that the quantities compared are of identical order on the middle surface, assumed to be the middle layer of the filling. The relative geometrical and mechanical characteristics of a three-ply plate are determined by the positive quantities  $r, s, t$

$$h'/h \sim \epsilon^r, \quad E/E' \sim \epsilon^s, \quad \eta \sim \epsilon^t \quad (2)$$

The usual equilibrium equations of the filler and bearing layers are given by:

$$\sigma_{x,x} + \tau_{xy,y} + \tau_{xz,z} = 0, \dots \quad (-h \leq z \leq h) \quad (3)$$

and

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The Applicability of Different Theories of Three-Ply Plates and Shells

$$\sigma_{x,x'} + \tau_{xy,y'} + \tau_{xz,z'} = 0, \quad (h \leq z \leq h + 2h') \quad (4)$$

where the commas before the suffixes denote partial differentiation. The mathematical development and analysis of the three theories leads to the following principal conclusions for a thin shell: (a) if  $r \geq s$ ,  $h'/h \leq E/E'$ , then theory 2) is inapplicable; since condition (9) is not fulfilled and the influence of transverse shear on the magnitude of the deflection is negligibly small and, in this case, theory 1) is applicable: (b) if  $s = r + 1$ , for example,  $h'/h \sim \sqrt{\epsilon}$ ,  $E/E' \sim \epsilon^{3/2}$ , then theory 2) is applicable and the correction to the deflection is of the same order as that determined by theory 1): (c) if  $s > r + 1$ , theory 2) is applicable: (d) if  $s = r + 1/2$ ,  $h' \sqrt{\epsilon}/h \sim E/E'$ , the filler can be termed rigid, and theory 2) is applicable.

There are 5 references: 4 Soviet and 1 English.

SUBMITTED: May 7, 1960

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MUSHTARI, Kh.M.; SURKIN, R.G.

Transverse flexure of a supported square plate assuming a  
near state

Ser. ~~11~~ ~~12~~ ~~13~~ ~~14~~ ~~15~~ ~~16~~ ~~17~~ ~~18~~ ~~19~~ ~~20~~ ~~21~~ ~~22~~ ~~23~~ ~~24~~ ~~25~~ ~~26~~ ~~27~~ ~~28~~ ~~29~~ ~~30~~ ~~31~~ ~~32~~ ~~33~~ ~~34~~ ~~35~~ ~~36~~ ~~37~~ ~~38~~ ~~39~~ ~~40~~ ~~41~~ ~~42~~ ~~43~~ ~~44~~ ~~45~~ ~~46~~ ~~47~~ ~~48~~ ~~49~~ ~~50~~ ~~51~~ ~~52~~ ~~53~~ ~~54~~ ~~55~~ ~~56~~ ~~57~~ ~~58~~ ~~59~~ ~~60~~ ~~61~~ ~~62~~ ~~63~~ ~~64~~ ~~65~~ ~~66~~ ~~67~~ ~~68~~ ~~69~~ ~~70~~ ~~71~~ ~~72~~ ~~73~~ ~~74~~ ~~75~~ ~~76~~ ~~77~~ ~~78~~ ~~79~~ ~~80~~ ~~81~~ ~~82~~ ~~83~~ ~~84~~ ~~85~~ ~~86~~ ~~87~~ ~~88~~ ~~89~~ ~~90~~ ~~91~~ ~~92~~ ~~93~~ ~~94~~ ~~95~~ ~~96~~ ~~97~~ ~~98~~ ~~99~~ ~~100~~ ~~101~~ ~~102~~ ~~103~~ ~~104~~ ~~105~~ ~~106~~ ~~107~~ ~~108~~ ~~109~~ ~~110~~ ~~111~~ ~~112~~ ~~113~~ ~~114~~ ~~115~~ ~~116~~ ~~117~~ ~~118~~ ~~119~~ ~~120~~ ~~121~~ ~~122~~ ~~123~~ ~~124~~ ~~125~~ ~~126~~ ~~127~~ ~~128~~ ~~129~~ ~~130~~ ~~131~~ ~~132~~ ~~133~~ ~~134~~ ~~135~~ ~~136~~ ~~137~~ ~~138~~ ~~139~~ ~~140~~ ~~141~~ ~~142~~ ~~143~~ ~~144~~ ~~145~~ 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Mushtari, Kh. M.

BOROVSKIY, P. V.

PHASE I BOOK EXPLOITATION

SOV/6206 25

Konferentsiya po teorii plastin i obolochek. Kazan', 1960.

Trudy Konferentsii po teorii plastin i obolochek, 24-29 oktyabrya 1960. (Transactions of the Conference on the Theory of Plates and Shells Held in Kazan', 24 to 29 October 1960). Kazan', [Izd-vo Kazanskogo gosudarstvennogo universiteta] 1961. 426 p. 1000 copies printed.

Sponsoring Agency: Akademiya nauk SSSR. Kazanskiy filial. Kazanskiy gosudarstvennyy universitet im. V. I. Ul'yanova-Lenina.

Editorial Board: Kh. M. Mushtari, Editor; F. S. Isanbayeva, Secretary; N. A. Alomyae, V. V. Bolotin, A. S. Vol'mir, N. S. Ganiyev, A. L. Gol'denveyzer, N. A. Kil'chevskiy, M. S. Kornishin, A. I. Lur'ye, G. N. Savin, A. V. Sachenkov, I. V. Svirskiy, R. G. Surkin, and A. P. Filippov. Ed.: V. I. Aleksagin; Tech. Ed.: Yu. P. Semenov.

PURPOSE: The collection of articles is intended for scientists and engineers who are interested in the analysis of strength and stability of shells.

Card 1/14

Transactions of the Conference (Cont.)

SOV/6206 <sup>75</sup>

COVERAGE: The book is a collection of articles delivered at the Conference on Plates and Shells held in Kazan' from 24 to 29 October 1960. The articles deal with the mathematical theory of plates and shells and its application to the solution, in both linear and nonlinear formulations, of problems of bending, static and dynamic stability, and vibration of regular and sandwich plates and shells of various shapes under various loadings in the elastic and plastic regions. Analysis is made of the behavior of plates and shells in fluids, and the effect of creep of the material is considered. A number of papers discuss problems associated with the development of effective mathematical methods for solving problems in the theory of shells. Some of the reports propose algorithms for the solution of problems with the aid of electronic computers. A total of one hundred reports and notes were presented and discussed during the conference. The reports are arranged alphabetically (Russian) by the author's name.

Card 2/14

Transactions of the Conference (Cont.)	SOV/6206
Grigorenko, Ya. M. On the Nonsymmetrical State of Stress of a Conical Shell of Linearly Variable Thickness	142
Dlugach, M. I. Uniqueness Conditions of Displacements in Multiply Connected Regions and Shells With Openings	149
Il'gamov, M. A., and Kh. M. Mushtari. Some Problems of Static and Dynamic Stability of Sandwich Plates	155
Kan, S. N. Thermal Stresses in a Circular Conical Shell	164
Kil'chevskiy, N. A. Approximate Methods for Investigating Equilibrium and Vibration of Shells as "Discrete Continual" Systems	170
Kovalenko, A. D. Solution in Special Functions of Unsymmetrical-Deformation Problems of Shallow Spherical and Conical Shells	177

Card 7/14



24 4200  
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24536  
S/179/61/000/002/001/017  
E081/E141

AUTHOR: Mushtari, Kh.M., (Kazan')

TITLE: The general theory of shallow sandwich-type shells

PERIODICAL: Izvestiya Akademii nauk SSSR, Otdeleniye tekhnicheskikh nauk, Mekhanika i mashinostroyeniye, 1961, No.2, pp. 24-29

TEXT: In the work so far carried out on the theory of 3-ply shallow sandwich-type shells, it has been assumed that the shell is of symmetrical construction. This assumption limits the region of applicability of the theory. If, for instance, the temperatures of the bearing layers (the two outside layers) are different, or if the permitted stresses in these layers differ in compression and tension, it is reasonable to take the bearing layers as having different thicknesses, and as being constructed of different materials. The paper develops the general theory of shallow shells so as to allow for temperature effects and for unsymmetrical construction. It is assumed that the normal component of the displacement of the shell (the displacement in the  $z$  direction) is independent of  $z$ , and that the Kirchhof hypothesis is applicable to the bearing layers

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24536  
S/179/61/000/002/001/017  
E081/E141

The general theory of shallow sandwich-type shells

in view of their high mechanical strength. The filler (the middle layer) is assumed weak in shear, and all the layers are assumed thin. On the basis of these assumptions, equations are given for membrane stresses and for bending and twisting moments. Taking into account the equilibrium equations and the work of deformation of the filler and the bearing layers, the equations governing the behaviour of the shell are obtained. Particular cases of these equations are considered as follows: a shell with very thin bearing layers; a shell with a very pliable filler; a cylindrical shell; and a shell with isotropic layers. In the latter case, the system of basic equations reduces to three equations relating to the deflection, stress and shear functions.

There are 4 references: 3 Soviet and 1 English.

The English language reference reads:

Ref.1: E. Reissner. Small bending and stretching of sandwich-type shells. NACA, Technical Notes, 1949, No. 1832.

ASSOCIATION: Kazanskiy filial Akademii nauk SSSR

(Kazan' Branch, Academy of Sciences, USSR)

Card 2/2

SUBMITTED: May 7, 1960

S/879/62/000/000/001/088  
D234/D308

**AUTHOR:** Mushtari, Kh. M. (Kazan')

**TITLE:** Some nonlinear problems of the theory of elasticity and effective methods of solving them

**SOURCE:** Teoriya plastin i obolochek; trudy II Vsesoyuznoy konferentsii, L'vov, 15-21 sentyabrya 1961 g. Kiev, Izd-vo AN USSR, 1962, 7-15

**TEXT:** A review article dealing with basic dependences of the theory of single-layer and multi-layer shells, large deflections of thin-walled rods, inverse boundary problems of the nonlinear theory of shells, semi-nonlinear theory of bending of shallow shells, method of finite differences and other methods of solution. There are 69 references.

Card 1/1

S/879/62/000/000/015/088  
D234/D308

**AUTHOR:** Mushtari, Kh. M. (Kazan')

**TITLE:** An improvement of the approximate theory of three-layer plates with filler

**SOURCE:** Teoriya plastin i obolochek; trudy II Vsesoyuznoy konferentsii, L'vov, 15-21 sentyabrya 1961 g. Kiev, Izd-vo AN USSR, 1962, 128-131

**TEXT:** The author assumes the approximate solution in the form

$$u = u_0 + \varepsilon u_1 + \varepsilon^2 u_2, \quad v = v_0 + \varepsilon v_1 + \varepsilon^2 v_2, \quad w = w_0 + \varepsilon w_1 \quad (1)$$

where  $u_0, v_0, w_0$  are displacements of the middle plane of the filler. For a light filler one of the equations of equilibrium is replaced by

Card 1/2

An improvement of the ...

S/879/62/000/000/015/088  
D234/D308

$$\tau_{xz,z} = 0, \quad \tau_{xz} = \varphi_x(x,y) = G_{13}(u_{,z} + w_{,x}) \cdot (xy) \quad (5)$$

and it is proposed to equate only the values of  $\sigma_z$  averaged over the thickness. The equations are formulated in terms of displacements and a square plate, subject to compressing forces uniformly distributed along the edges, is considered as an example. Numerical results are compared with those of A. P. Prusakov; the correction is as large as 25% in some cases. There is 1 table.

Card 2/2

S/879/62/000/000/060/088  
D234/D308

**AUTHORS:** Mushtari, Kh. M. and Nikiforov, M. Ye. (Kazan')

**TITLE:** Medium bending of a flexible, very shallow shell of double curvature, with rectangular horizontal section and hinged edge

**SOURCE:** Teoriya plastin i obolochek: trudy II Vsesoyuznoy konferentsii, L'vov, 15-21- sentyabrya 1961 g. Kiev, Izd-vo AN USSR, 1962, 350-352

**TEXT:** The authors have solved the above problem for the case of uniformly distributed transverse load, using semi-nonlinear theory of medium bending, and assuming that the deflection does not exceed the double thickness. The system of algebraic equations obtained by the method of Bubnov-Galerkin is not given, being excessively complicated. Membrane stresses at the center of the shell and of the edges, flexural stresses at the center, torsional stresses at the corners and dimensionless deflection at the center were computed. Numerical calculations were made on a Ural-1 computer.

Card 1/2

Medium bending of ...

S/879/62/000/000/060/088  
D234/D308

for a square panel and a panel of double length. Tabulated data and graphs are to be included in a reference book which is in preparation.

Card 2/2

37746  
S/179/62/000/001/016/027  
EO81/2535

24 4200

AUTHOR: Mushtari, Kh.M. (Kazan')

TITLE: One refinement of the approximate theory of sandwich plates with filler core

PERIODICAL: Akademiya nauk SSSR. Izvestiya. Otdeleniye tekhnicheskikh nauk. Mekhanika i mashinostroyeniye, no.1, 1962, 125-130

TEXT: The paper is a continuation of previous work (Ref.3: Izv. AN SSSR, OTN, Mekhanika i mashinostroyeniye, 1960, No.6). In the theory of thin single layer plates, it is usual to assume that stresses normal to the surface have a negligible effect on the stresses parallel to the surface. On the other hand, it has been assumed in some previous works that in a light filler stresses parallel to the surface have negligible effect on sag. This assumption applies if the moduli of elasticity of the core are small in the direction of the plane in comparison with the modulus in the transverse direction. However, intermediate cases can arise in which all stresses are of the same order of magnitude. The paper gives a refinement of the theory  
Card 1/2



One refinement of the approximate ... S/179/62/000/001/016/027  
E081/E535

which includes this case. The layers are assumed to be orthotropic with compressible core; the displacements in the filler core are expressed approximately as cubic equations in  $z$  and in terms of the displacements at the middle plane, and the displacements in the upper and lower layers are written in accordance with the Kirchhoff hypothesis of deformation. Allowing for skew symmetric and symmetric bending, for the equilibrium equations and for the compatibility of displacements at the upper and lower surfaces of the core, equations are obtained for stresses, bending and displacement in the bearing layers. The compression of a square plate with freely supported edges by a force uniformly applied to all edges is discussed, and it is found that if stresses parallel to the surface are neglected, it gives as an answer a substantially lower critical stress corresponding to plate failure. For a material with Poisson's ratio of 0.4, the lowering amounts to 25%. There is 1 table. ✓

SUBMITTED: September 11, 1961

Card 2/2

MUSHTARI, Kh.M. (Kazan')

Theory of sandwich shallow shells with filler layers of variable thickness. Izv. AN SSSR. Otd. tekhn. nauk. Mekh. i mashinostr. no. 4: 71-76 J1-Ag '62. (MIRA 15:8)

1. Kazanskiy filial AN SSSR.  
(Elastic plates and shells)

MUSHTARI, Kh.M. (Kazan')

Area of the application of approximate theories of sandwich plates  
with nonsymmetric structure and a filler. Izv.AN SSSR.Mekh. i  
mashinostr. no.5:176-178 S-O '63. (MIRA 16:12)

KORNISHIN, M.S.; MUSHTARI, Kh.M., prof., doktor fiz.-mat. nauk,  
otv. red.

[Nonlinear problems in the theory of plates and shallow  
shells and methods for their solution] Nelineinye zadachi  
teorii plastin i plogikh obolochek i metody ikh resheniia.  
Moskva, Izd-vo "Nauka," 1964. 191 p. (MIRA 17:6)

L 25637-65 EWA(h)/EWP(j)/EWP(k)/EWT(d)/EWT(m)/EWA(d)/EWP(w)/EWP(v)

Pc-4/Pf-4/Peb EM/JAJ/RM

ACCESSION NR: AP5005180

S/0179/64/000/006/0119/0124

25  
20  
6

AUTHOR: Mushtari, Kh. M. (Kazan); Teregulov, A. G. (Kazan)

TITLE: On buckling of sandwich shells with elastoviscous cores  
24

SOURCE: AN SSSR. Izvestiya. Mekhanika i mashinostroyeniye, no. 6, 1964, 119-124

TOPIC TAGS: shell buckling, sandwich shell buckling, spherical shell buckling, cylindrical shell buckling, local buckling, local shell buckling

ABSTRACT: The local buckling of shallow symmetric sandwich shells with a core of light material is discussed. The Kirchhoff hypothesis is applied to the face layers and the hypothesis on straightness of normals, to the core, in deriving the equilibrium equations with boundary conditions, and equations for local buckling, as well as expressions for determining the stresses in face layers and in the core. The stability of a cylindrical medium-length sandwich shell under axial compression and uniform external pressure is analyzed and the symmetrical and asymmetrical modes of buckling are examined. The problem of local buckling of a spherical sandwich shell under external uniform pressure is also discussed. Orig. art. has: 24 formulas. [VK]

ASSOCIATION: none

Card 1/2

L 25637-65

ACCESSION NR: AP5005180

SUBMITTED: 17Jan64

NO REF SOV: 005

ENCL: 00

OTHER: 000

SUB CODE: AS

ATD PRESS: 3185

Card 2/2

ACCESSION NR: APL026953

S/0258/64/004/001/0045/0049

AUTHOR: Mushtari, Kh. M. (Kazan)

TITLE: Theory of flexure of a rectangular plate of variable thickness

SOURCE: Inzhenernyy zhurnal, v. 4, no. 1, 1964, 45-49

TOPIC TAGS: flexure theory, rectangular plate, variable thickness plate, square plate, uniformly distributed transverse load, maximum stress intensity, maximal deflection, freely supported boundary, Poisson coefficient

ABSTRACT: The author studies the effect of a uniformly distributed transverse load  $p$  applied to a square plate of variable thickness  $2h$  on flexure. He is concerned with determining a law for varying the thickness to achieve minimum volume for the plate, given a maximum value for the stress intensity or maximal deflection. This law is approximated by

$$f^2 = \cos \xi \cos \eta + a_{11} (\cos \xi \cos 3\eta + \cos 3\xi \cos \eta) + a_{22} \cos 3\xi \cos 3\eta, \quad (1)$$

and is, in the ideal case,

$$f = \left( \frac{16}{9} \right)^{1/2} \cos \xi \cos \eta. \quad (2)$$

Card 1/2

ACCESSION NR: AP4026953

The deflections are assumed small, the deformations elastic, and the boundary of the plate freely supported. The author is indebted to N. K. Galimov for programming this problem. Orig. art. has: 25 formulas.

ASSOCIATION: none

SUBMITTED: 20Jun63

DATE ACQ: 15Apr64

ENCL: 00

SUB CODE: AP

NO REF SOV: 000

OTHER: 000

Card 2/2



MUSHTARI, Kh.M. (Kazan')

An inverse problem in the theory of the bending of elastic plates with variable thickness. Izv. Akad. Nauk SSSR Tekhn. Mekh. 1961, no. 3, 510-515, 16 refs.

(MIRA 17 10)

L 51484-65 EWP(k)/EWA(h)/EWT(d)/EWT(m)/EWA(d)/EWP(w)/EWP(v) Pf-L/Peb EM/WW

ACCESSION NR: AP5014819

UR/0198/65/001/005/0001/0005

AUTHOR: Mushtari, Kh. M. (Kazan)

TITLE: On a theory of sandwich plates and shells which accounts for the physical nonlinearity of the core

SOURCE: Prikladnaya mekhanika, v. 1, no. 5, 1965, 1-5

TOPIC TAGS: sandwich plate, sandwich shell, sandwich construction, nonlinear sandwich core

ABSTRACT: The stress-strain relationships are examined in sandwich plates and shells with the face layers made of linearly elastic material and the core layer of a soft, nonlinearly elastic material (or of linearly elastic material stressed beyond its elastic limit); the compressibility of plates and shells in the normal direction is neglected. Such conditions can take place in bending of sandwich plates and shells. The formulas derived in the author's article "On the general theory of shallow shells with a core" (Izvestiya AN SSSR, Seriya Mekhanika i mashinostroyeniye, no. 2, 1961) for a case of a physically elastic core are used here and generalized nonlinear expressions for components of the transverse shear are introduced into them. The flexure of a circular sandwich plate of symmetrical

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ACCESSION NR: AP5014819

construction under continuous uniform pressure is analyzed as an example, assuming that all layers are isotropic and that the flexural rigidity of the face layers relative to their middle surfaces is negligible. Expressions are given for radial and hoop forces and for flexural moments, as well as for displacements. These expressions are adapted in the case of an annular plate with a simply supported outer edge and free inner edge; three alternatives of possible physical relationships between linear and nonlinear stress and strain components of the transverse shear are considered. The case of a plate clamped along the outer edge is also considered. The results are discussed and compared with those calculated for a plate with a core made of material with a linear stress-strain characteristic. [VK]  
Orig. art. has: 26 formulas.

ASSOCIATION: Kazanskiy fiziko-tehnicheskii institut (Kazan' Physicotechnical Institute)

SUBMITTED: 11 Aug 64

ENCL: 00

SUB CODE: AS  
C1

NO REF SOV: 002

OTHER: 000

ATD PRESS: 4017

4017

Card 2/2 M6

L 63268-65 EWT(d)/EWT(m)/EWP(w)/EWP(k) Pf-4 EM

ACCESSION NR: AP5016239

UR/0375/65/000/003/0145/0148

AUTHORS: Il'gamov, M. A. (Kazan); Mushtari, Kh. M. (Kazan)

TITLE: Temperature stability of three-layer plates with clamped edges

SOURCE: AN SSSR. Izvestiya. Mekhanika, no. 3, 1965, 145-148

TOPIC TAGS: plate stability, thermal stress, thermal deformation

ABSTRACT: The nomenclature and equations of Kh. M. Mushtari (K obshchey teorii pologikh obolochek s zapolnitelem. Izv. AN SSSR, OTN, Mekhanika i Mashinostroyeniye, 1961, No. 2) were used to study the temperature stability of round and rectangular composite plates clamped at the edges and consisting of two load-carrying isotropic layers of different mechanical and thermal properties (and thicknesses) separated by a low conductivity isotropic filler. The equation for this geometry was derived as

$$\left[ (s' - s'') - \frac{2h}{G} T \right] \Delta \Delta w = - \left( \frac{1}{B'} + \frac{1}{B''} \right) T \Delta w \quad (1)$$

(where  $s' - s'' = 2h + h' + h''$ ;  $2h, 2h', 2h''$  = thickness of layers,  $G$  = shear modulus of filler;  $B' = B_1' = B_2'$ ,  $B'' = B_1'' = B_2''$  = layer stiffness). After assuming constant temperatures  $\tau'$  and  $\tau''$  in the load carrying layers, a linear temperature distribution in the filler and a linear temperature dependence of the elastic and

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L 63268-65

ACCESSION NR: AP5016239

shear moduli the equation (1) was modified to find the critical combinations of  $\lambda' \tau'$  and  $\lambda'' \tau''$  for the case of round and rectangular clamped plates. These equations are best solved graphically. The question of layer thicknesses for minimum weight was also considered. The weight was expressed in terms of the material parameters and geometry and minimized with respect to the layer thicknesses yielding a working equation for determining the layer thickness giving minimum weight for thermal stability under given conditions. It is claimed that the equation gives excellent results (no examples). Orig. art. has: 26 formulas and 1 figure.

ASSOCIATION: none

SUBMITTED: 20 May 63

ENCL: 00

SUB CODE: TD, ME

NO REF SOV: 004

OTHER: 001

*llc*

Card 2/2

L 00755-67 EWP(k)/EWT(d)/EWT(m)/EWP(w)/EWP(v) IJP(c) EM/WW

ACC NR: AP6024192

SOURCE CODE: UR/0424/66/000/002/0145/0149

AUTHOR: Mushtari, Kh. M. (Kazan')

32

ORG: none

B

TITLE: Fundamental relations in the theory of elastic three-layered shells of variable stiffness

SOURCE: Inzhenernyy zhurnal, Mekhanika tverdogo tela, no. 2, 1966, 145-149

TOPIC TAGS: elasticity theory, shell theory, sandwich structure

ABSTRACT: Fundamental relations are derived in the theory of elastic sandwich structures under the following three assumptions: a) the thickness of the load-carrying layers as well as of the filler varies smoothly; b) the elasticity modulus of the load-carrying layers is constant along the thickness but varies smoothly along the surface; c) the elasticity modulus for the filler varies smoothly along the surface as well as along the thickness. The equations of equilibrium and the boundary conditions remain the same as those outlined in the author's previous paper (K obshchey teorii plogikh obolochek s zapolnitelem. Izv. AN SSSR, Mekhanika i mashinostroyeniye, 1961, No. 2). The case is studied for cylindrical deflection of sandwich plates with variable stiffness, freely supported at the edges, under a transverse load. Expressions are also derived for the deflection of variable stiffness cantilever plates under similar loading conditions. Finally, the following equation is obtained

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ACC NR: AP6024192

for the maximum deflection of circular sandwich plates of variable stiffness, constructed symmetrically under transverse loads

$$\frac{w_{max}^c}{w_{max}} = 1 - \frac{0.2\gamma}{1+\gamma} \left( \frac{\nu=0.3}{p_1=0} \right), \quad \frac{w_{max}^c}{w_{max}} = 1 - \frac{0.28\gamma}{1+\gamma} \left( \frac{\nu=0.3}{p_1=-p_0} \right)$$

$$w_{max}^c = w_{max} \text{ at } \gamma = 0, \quad 0.8 > w_{max}^c/w_{max} > 0.74 \text{ at } \gamma = \gamma_0.$$

Orig. art. has: 34 equations.

SUB CODE: 20/ SUMM DATE: 20Mar64/ ORIG REF: 002

Card 2/2

L 10436-67 EWT(d)/EWT(m)/EWP(w)/EWP(v)/EWP(k) IJP(c) WW/EM  
ACC NR: AT6032964

SOURCE CODE: UR/3228/64/000/002/0035/0047

AUTHOR: Galimov, N. K.; Mushtari, Kh. M. 38

ORG: none

TITLE: Theory of three-layer plates and shells

SOURCE: Kazan. Universitet. Issledovaniya po teorii plastin i obolochek, no. 2, 1964, 35-47

TOPIC TAGS: metal stress, shell deformation, metal deformation

ABSTRACT: The authors derive equations for equilibrium and the conditions for joint deformations of the slanting shell of an asymmetric structure, considering the transversal deformation of the filler. The tangential and normal displacements of the middle surface of the filler, a shear function, and the transversal deformation of the filler are taken as variables. The filler displacements are approximated by a power expansion of the normal coordinate. The buckling is approximated by a linear function and the tangential displacements by a quadratic one. The filler shears are assumed to be constant along the thickness. The stresses are reduced to the middle filler surface; the deformations are assumed to be small, and the budding finite. The problem of stability of a cylindrical shell with orthotropic filler with reduction, and with a rigid isotropic filler without reduction is solved. Orig. art. has: 42 equations.

SUB CODE: 11,2C/ SUBM DATE: --Jun63/ ORIG REF: 011



L 10616-65 EWP(w)

ACCESSION NR: APL043524

S/0258/64/004/003/0510/0515

AUTHOR: Yushtari, Kh. M. (Kazan)

8

TITLE: On the inverse problem in the theory of flexure of variable-thickness elastic plates

SOURCE: Inzhenernyy zhurnal, v. 4, no. 3, 1964, 510-515

TOPIC TAGS: elastic plate, elliptic plate, circular plate, variable thickness plate, minimum volume plate, minimum weight plate

ABSTRACT: The problem of determining a plate thickness variation law, such that a certain given shape of elastic surface under a given load is an exact solution of the flexure problem, is investigated. Variation of a deformed plate parameter is used in solving for the plate of minimum volume, given the maximum stress or maximum deflection. Examples are taken from the contexts of transverse flexure of simply supported elliptic plates and of variable-thickness circular plates. For the elliptic plate under uniform load the minimum volume expression is given as a function of the ellipse eccentricity. The corresponding expression for the circular plate is given in terms of plate geometry and the coefficient of transverse

Card 1/2

L 10616-65  
ACCESSION NR: AP4043524

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deformation. Computed results indicate that volume savings of up to 28% can obtain through the use of the constant-thickness plate. Orig. art. has: 22 formulas and 1 table.

ASSOCIATION: none

SUBMITTED: 10Jan64

ENCL: 00

SUB CODE: ME

NO REF SOV: 002

OTHER: 001

Card 2/2

MUSHTAYEV, A.I.

Milling machinery safety attachments. Stan. 1 instr. 24 no.5:31 My '53.  
(MLBA 6:6)  
(Milling machines)

MUSHTAYEV, A.F.

Protective devices used in vertical milling machines. Stan.1  
instr. 27 no.12:30-31 D '56. (MLRA 10:2)  
(Milling machines)

21/05/74 12:00 PM  
BOLZUKHIN, A.K., inzh.; MOROZOV, I.I., inzh.; KUDINOV, V.A., inzh.; LAPIDUS,  
A.S., inzh.; BELOV, V.S., inzh.; MANUYLOV, L.K., inzh.; MISHENIN,  
A.F., inzh.; PROKOPOVICH, A.Ye., red.; SEMENSHURINA, Ye.A., red.  
Izd-va; MATVEYEVA, Ye.N., tekhn. red.

[Modernisation of planers, slotters, and broaching machines; a  
guide] Modernisatsiya strogal'nykh, dolbeshnykh i protiazhnykh  
stankov; rukovodiashchie materialy. Pod red. A.M. Prokopovicha.  
Moskva, Gos. nauchno-tekhn. izd-vo mashinostroit. lit-ry, 1957.  
178 p. (MIRA 11:8)

1. Moscow. Eksperimental'nyy nauchno-issledovatel'skiy institut metal-  
loreshushchikh stankov.

(Machine tools)

BOLTUKHIN, A.K.; STERLIN, S.Z.; MUSHTAYEV, A.E.; MOROZOV, I.I.; KUDINOV, V.A.;  
MONAKHOV, G.A.; AZAREVICH, G.M.; LAPIDUS, A.S.; PROKOPOVICH, A.Ye.,  
redaktor; RZHAVINSKIY, V.V., redaktor izdatel'stva; TIKHANOV, A.Ya.,  
tekhnicheskiy redaktor

[Modernization of knee and column type milling machines; instructions]  
Modernizatsiya konsol'no-frezernykh stankov; rukovodiashchie materialy.  
Pod red. A.E.Prokopovicha. Moskva, Gos. nauchno-tekhn.izd-vo mashino-  
stroit.lit-ry, 1957. 194 p. (MLRA 10:8)

1. Moscow. Eksperimental'nyy nauchno-issledovatel'skiy institut  
metallorezhushchikh stankov  
(Milling machines)

MUSHTAYEV, A.F.

Effect of clearances in the elements of drives on the  
smoothness of table displacements. Stan.1 instr. 31  
no.8:9-12 Ag '60. (MIRA 13:8)  
(Milling machines--Electric driving)

MUSHTAYEV, A.F.

Modern plano-milling machines; survey of foreign literature.  
Stan.i instr. 32 no.8:23-30 Ag '61. (MIRA 14:8)  
(Milling machines)

✓



MUSHTAYEV, A.F.

Gaps in feed-mechanism drives of heavy plano-milling machines.  
Stan.i instr. 33 no.2:11-16 F '62. (MIRA 15:1)  
(Feed mechanisms)  
(Milling machines)

LOVI, A., podpolkovnik; SHUL'GA, N., podpolkovnik; KASHANSKIY, B., mayor;  
MUSHTANKO, N., mayor.

Simplifying the rules of fire for adjustment from 82 mm. mortars;  
discussion of an article by Lt. Colonel A. Chervonyi, Docent and  
Candidate of Technical Sciences, in no. 4. Voen.vest. 36 no.7:  
53-60 JI '56. (MLRA 9:8)

(Mortars (Ordnance))  
(Chervonyi, A.)

MUSHTUKOVA, O.Ya.; BORSHCHENSKAYA, S.I., red.; LEVONEVSKAYA, L.G., tekhn.  
~~red.~~

[In the struggle for economy in the use of materials] V bor'be za ekonomiu materialov. [Leningrad] Lenizdat, 1954. 59 p. (Novatory leningradskoi promyshlennosti, no.6) (MIRA 11:7)  
(Shoe industry)

Moshtulov, P.I.

15  
Synthetic porous material. P. I. Moshtulov, I. M. Tushukin, and P. I. Moshtulov. U.S.S.R. 160,880, July 25, 1957. Polymers obtained by interaction of glycerol with mixts. of adipic and sebacic acids in ratios of 1:1-0.4 are condensed with hexamethylene diisocyanate in the presence of 0.1%  $H_2O$ , based on the wt. of polyester. The polyesters have acid nos. of 100-75. The hexamethylene diisocyanate is taken in a 50% excess of the theoretical amt. based on the carboxyl groups of the polyester. 7. M. Hosh.

5  
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LOSEV, I.P., TUZHILKIN, I.M.; MUSHULOV, P.I.

Self-foaming porous plastics made of polyesters and diisocyanates.  
Bul.tekh.-ekon.inform. no.2:30-32 '58. (MIRA 11:4)  
(Plastics)

MUSIAL, Albin (Krakow, Wyszynskiego 7/6)

Case of penetration of the human eye by *Theromyzon tessellatum*.

Klin. oczna 24 no.2:147-148 1954.

(EYE, wounds and injuries,

\*penetration by *Theromyzon tessellatum*)

(LEECHES,

\**Theromyzon tessellatum*, penetration in human eye)

EXCERPTA MEDICA Sec 12 Vol 13/8 Ophthalmology Aug 59  
ravaloro - Catania

1295. THE THERAPEUTIC RESULTS OF NITROGRANULOGEN TREATMENT  
ON THE BASIS OF 2.5 YEARS' CLINICAL EXPERIENCE IN OVER 150  
CASES - Wyniki leczenia iperytem azotowym na podstawie 2.5-letniego doś-  
wiadczenia klinicznego w ponad 150 przypadkach - Musiał A. Oddz.  
Ocznego P. S. K. Kraków - KLIN. OCZNA 1957, 27/3 (269-274)

On the basis of Aleksandrowicz's works concerning the anti-inflammatory effect of  
nitrogranulogen in various morbid processes, such a treatment for eye diseases  
was initiated in January, 1949. The doses, 1/10 of those applied in America, were  
administered according to the programme elaborated by Aleksandrowicz. In  
September, 1949, at the Congress of the Polish Ophthalmological Society in Cracow,  
the therapeutical results in over 40 cases were discussed. Up to the present moment,  
the number of patients treated with nitrogranulogen exceeds 150. The results are  
encouraging.

*Musial A.*  
EXCERPTA MEDICA Sec 12 Vol 13/4 Ophthalmology Apr 59

626. A LARVA OF THE VITREOUS BODY, THE CAUSE OF SEVERE  
ENDOPHTHALMITIS LARVOSA - Larwa szkliski przyczyną ciężkiego  
zapalenia śródgalkowego. (Endophthalmitis larvosa) - Musiał A. Odd.  
Oczn. P.S.K., Kraków - KLIN. OCZNA 1958, 28/2 (215-218) Ilus. 1  
During the section of the eyeball which took place after removal of the eye with  
endophthalmitis, a larva was found of undetermined kind. The host was a peasant  
girl of 15 yr. The disease lasted about 9 months.  
Szmyt - Warsaw



MUSIAL, Andrzej

Some notes on coal deposits in Korea with regard to the coal mine deposits in Sin-Ch'ang and An-Dju. Przegl geol 10 no.6:316-318 Je '62.

1. Zjednoczenie Przedsiębiorstw Geologicznych, Warszawa.

MUSIAL, Antoni

Two-jaw apparatus with stiff transposable arms guiding the mandible for the treatment of progeria disturbances. Czas. stomat. 18 no.5:447-501 My'65.

1. Z Zakładu Ortodontji Śląskiej Akademii Medycznej w Katowicach (Kierownik: doc. dr. F. Labiszewska-Jaruzelska).

MUSIAL, Edward, mgr.inz.

On the selection of the proper cross-section installation pipes.  
Wiad elektrotechn 30 no.2:46-47 F '62.

1. Politechnika, Gdansk.

MUSIAL, Edward, mgr inz.

"The electric wireman; collection of information in questions and answers" by F. Rozmus, W. Stanislawski. Reviewed by Edward Musial. Wiad elektrotechn 32 no. 1:29 Ja '64.

MUSIAL, J.

For an interdepartmental accounts settlement. p. 260.  
(PRZEGL D SKORZANY. Vol. 11, no. 10, Oct. 1956, Lodz, Poland)

SO: Monthly List of East European Accessions (EEAL) LC. Vol. 6, No. 12, Dec. 1957.  
Uncl.

BETAK, M., inz.; MUSIAL, J.

Development of two-layer panels at the Prazske cihelny  
National Enterprise. Stavivo 41 no.10:356-358 0 '63.

MUSIAL, L.; CHOBOT, M.; PUDO, J.

Water pollution in the Raba River. Gosp wodna 21 no.8:359 Ag '61.

MUSIAL, L.; FUDO, J.; LABUZ, W.

Water pollution of the Skawa River. Gosp wodna 21 no.8:360 Ag '61.



MUSIAL, Leopold

New derivatives of hydanton substituted in the positions 3,5. I. p. 1115.

*POLAND*  
ROCZNIKI CHEMII. (Polska Akademia Nauk Warszawa; Vol. 12, no. 5, 1958

Monthly List of East European Accessions (EEAI) LC, Vol. 8, no. 7, July 1959

Uncl.

MUSIAL, Leopold

On new substituted hydantoin derivatives in the 3 and 5 positions. III. Roczniki chemii 35 no.6:1651-1660 '61.

1. Zaklad Chemii, Wyzsza Szkola Pedagogiczna, Krakow.

MUSIAL, Leopold; KORCHODA, Maria Jolanta

New hydantoin derivatives substituted in positions 3 and 5.  
Pt. 4. Roczniki chemii 36 no.11:1607-1614 '62.

1. Katedra Chemii, Wyższa Szkoła Pedagogiczna, Kraków.

MUSIAL, Leopold; STANIEC, Jadwiga

New hydantoin substitution derivatives in positions 3 and 5.  
Pt. 5. Roczniki chemii 37 no.6:621-628 '63.

1. Katedra Chemii, Wyzsza Szkola Pedagogiczna, Krakow.